



# ***Beam Stability at Light Sources***

***R. Hettel, SSRL***

- Beam properties
- Stability requirements
- Noise sources
- Orbit stabilizing technology
- Future directions

# *Beam Stability Requirements*



## Want stability of:

- intensity after apertures  
**apertures in phase space**
- steering accuracy on small samples  
**pointing accuracy**
- e- trajectory in IDs  
**emission pattern, off-axis energy pattern, switched polarization, etc.**
- photon energy
- timing  
**pump-probe, etc.**
- beam lifetime

## Stability requirements depend on:

- time scale
- machine properties ????
- photon source phase space and experiment phase space acceptance  
**including optics**

# Electron Beam Properties and Phase Space



Electron beam characterized by conjugate variable pairs in 6-D phase space:

$x, x'$	$y, y'$	$E, t$ (or $f$ )
----- transverse -----		longitudinal

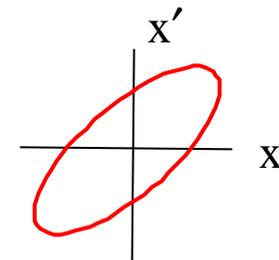
For each conjugate pair, beam occupies phase space ellipse of constant area - or emittance

transverse:  $\epsilon = \gamma(s)x^2 + 2\alpha(s)xx' + \beta(s)x'^2 = \text{const}$   $\left( \alpha = -\beta'/2 \quad \gamma = \frac{1+\alpha^2}{\beta} \right)$   
 $\epsilon_y \cong k\epsilon$  ( $k = \text{coupling}, k \ll 0.1$ )

e- beam size:  $\sigma_x(s) = \sqrt{\epsilon_x \beta_x(s) + (\eta(s)\delta E/E)^2}$        $\sigma_y(s) = \sqrt{\epsilon_y \beta_y(s)}$

e- divergence:  $\sigma_{x'}(s) = \sqrt{\epsilon_x \gamma_x(s) + (\eta'(s)\delta E/E)^2}$        $\sigma_{y'}(s) = \sqrt{\epsilon_y \gamma_y(s)}$

longitudinal:  $\Delta\phi$  (rad) =  $\frac{h\alpha_c}{v_s} \frac{dE}{E}$  ( $= \sim 40 \frac{dE}{E}$  for SPEAR3)



Have coupling between phase space planes (6-D emittance preserved)

- H-V by skew quads, orbit in sextupoles, resonances
- transverse-longitudinal (Touschek scattering,  $\Delta x = \eta\Delta E/E$ )      • etc.

# Photon Beam Properties



## Photon beam dimensions (unfocused):

$$\sigma_{\text{ph}}(L) = \sqrt{\sigma_{e^-}^2 + (L\sigma'_{\text{ph}})^2}$$

$$\sigma'_{\text{ph}} \cong \sqrt{\sigma_{e^-}^{\prime 2} + \frac{1}{N\gamma^2}}$$

$N$  = number of undulator periods (= 1 for dipoles and high  $k$  wigglers)

$\gamma = E(\text{GeV}) / .51 \times 10^{-3}$  (at critical energy; depends on energy)

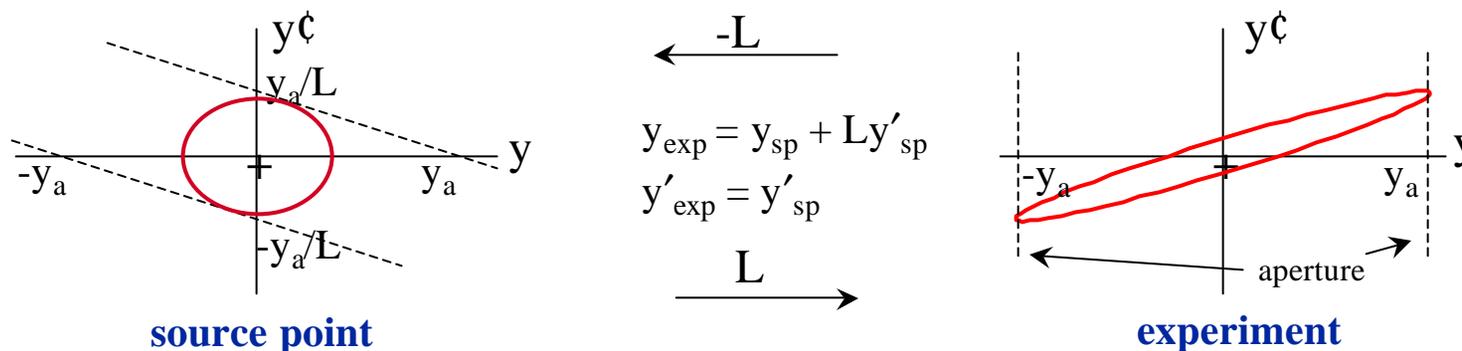
### Notes:

$\sigma_{e^-}$  = order 10-100  $\mu\text{rad}$  horizontally, order 10  $\mu\text{rad}$  vertically

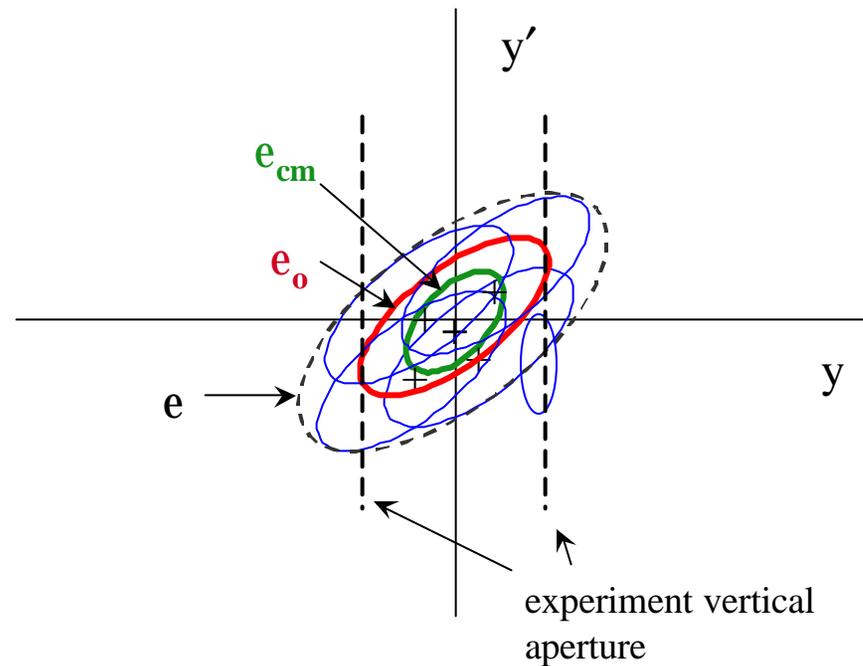
$1/\gamma =$  order 100  $\mu\text{rad} \Rightarrow$  dominates vertical divergence except for large  $N$

$\sigma_{\text{ph}}$  (horiz) = order mrad for dipole and wiggler sources

## Translation of photon phase space between source and experiment:



## Beam Position Instability and Emittance Growth from Orbit Motion



For disturbance frequencies  $\gg$  experiment integration time:

$$e = e_0 + e_{cm} \quad De/e = e_{cm}/e_0$$

For disturbance frequencies  $<$  experiment integration time:

$$e \text{ (envelope)} = e_0 + 2\ddot{\theta} e_0 e_{cm} + e_{cm} \quad De/e @ 2\ddot{\theta} e_{cm}/e_0$$

( $\epsilon_{cm} \ll \epsilon_0$ ; L. Farvacque, ESRF)

**Note: can apply similar analysis to other conjugate variables**

## *Beam Stability - Time Scales*



### **Disturbance frequencies $\gg$ experiment integration time:**

Orbit disturbances blow up effective beam  $S$  and  $S_C$ , reduce intensity at experiment, but do not add noise.

$$\text{For } \Delta\epsilon/\epsilon = \epsilon_{\text{cm}}/\epsilon_0 < \sim 10\%: \quad Dy_{\text{cm}}(\text{rms}) < \sim 0.3 S_y \quad Dy_{C_{\text{cm}}}(\text{rms}) < \sim 0.3 S_{y'}$$

**Note: can have frequency aliasing if don't obey Nyquist....**

### **Disturbance frequencies $\approx$ experiment integration time:**

Orbit disturbances add noise to experiment.

$$\text{For } \Delta\epsilon/\epsilon = \sim 2\sqrt{\epsilon_{\text{cm}}/\epsilon_0} < \sim 10\%: \quad Dy_{\text{cm}}(\text{rms}) < 0.05 S_y \quad Dy_{C_{\text{cm}}}(\text{rms}) < 0.05 S_{y'}$$

### **Disturbance frequencies $\ll$ experiment time (day(s) or more):**

Realigning experiment apparatus is a possibility.

### **Sudden beam jumps or spikes can be bad (low rms)**

**Note: peak amplitudes can be  $> \times 5$  rms level**

## *Intensity Stability*



**Want high level of flux (I) constancy through aperture or steering accuracy to hit small sample (sample size on order of beam size S).**

$$DI/I < 10^{-3} \text{ (typical)}$$

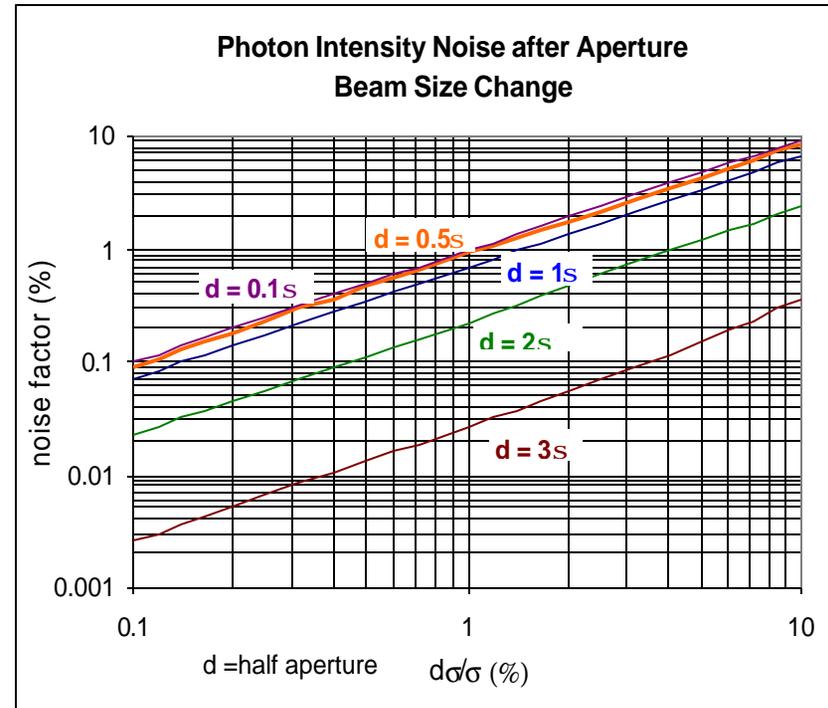
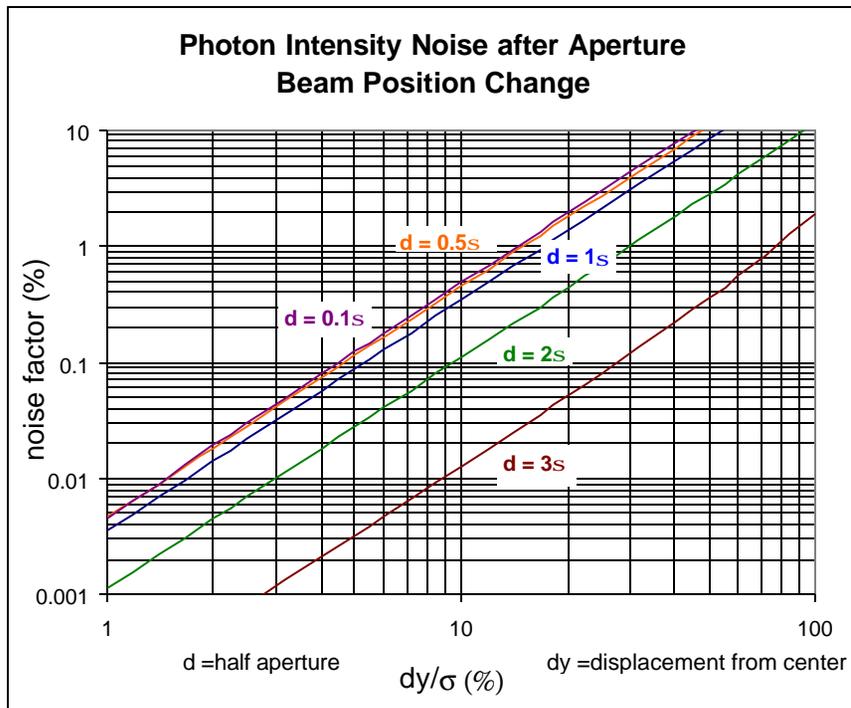
Note: some experiments require  $< 10^{-4}$  flux constancy

**Photoemission electron spectroscopy combined with dichroism spectroscopy (subtractive processing of switched polarized beam signals) (H. Padmore)**

### **Flux variations caused by**

- orbit instability
- beam size instability

# Beam Stability at Apertures



Intensity variations for beam with Gaussian size  $\sigma$  due to position motion  $dy$  from the center and beam size change  $d\sigma$  for various sized apertures.

## Intensity Stability - Orbit



For 0.1% intensity stability, orbit stability should be

$$Dy_{cm} < .05 S_y \quad \text{at source point for } \textit{focused} \text{ beams}$$

$$Dy'_{cm} < .05 S_y' \quad \text{at source point for } \textit{unfocused} \text{ beams}$$

$$S_y \sim 20\text{-}50 \text{ mm,}$$

$$S_x \sim 100\text{-}500 \text{ mm for most 3rd generation sources}$$

$$S_{y'c} = \sim 140 \text{ mrad @ 3 GeV, } N = 1; = 17 \text{ mrad @ 3 GeV, } N = 100; = 7 \text{ mrad @ 7 GeV, } N = 100$$

$$\text{P } Dy_{cm} < \sim 1\text{-}3 \text{ mm,} \quad Dy'_{cm} < \sim 0.5\text{-}10 \text{ mrad for 3rd gen sources}$$

### Orbit perturbing mechanisms:

- varying magnetic fields (moving quadrupoles, ID gaps, other field sources)
- coherent electron energy variations in lattice dispersion sections at frequencies < data integration time (synchrotron oscillations, RF)

$$\Delta x = h D E/E < .05 \sigma_x = \sim 10\text{-}20 \text{ } \mu\text{m}$$

$$\text{P } DE/E \text{ (coherent)} < \sim 10^{-4} \quad (\eta_x = \sim 0.1 \text{ m at dipole sources; } \eta_y = \sim 0.02 \text{ m})$$

$$(\Delta\phi < 0.2^\circ \text{ for SPEAR 3})$$

$$\text{P } Df_{RF}/f_{RF} = a_c DE/E < \sim 10^{-7} \quad (\alpha_c = \sim 10^{-3})$$

$$(\Delta f_{RF} < 50 \text{ Hz for } f_{RF} = 500 \text{ MHz}); \text{ imposes limit on phase noise for RF source } \sim 10 \text{ kHz BW}$$

## *Intensity Stability - Beam Size*



For 0.1% intensity stability, beam size stability should be

$$Ds/s < \sim 10^{-3}$$

### Beam size-perturbing mechanisms:

- changes in horizontal-vertical electron beam coupling  
**ID gap change, orbit in sextupoles, energy ramp without coupling correction**
- collective effects  
**coupling resonances, single- and multibunch instabilities in transverse and longitudinal planes, intrabeam scattering**
- gas bursts, ions, dust particles
- electron energy variations in lattice dispersion sections at frequencies > data integration time (**synchrotron oscillations, Landau damping mechanisms, etc.**)

$$s^2 = eb + (h\delta E/E)^2 + (hDE/E)^2 \quad (\sqrt{\epsilon\beta} = \sim 350 \mu\text{m}; \eta \delta E/E = \sim 100 \mu\text{m} \text{ for } \eta = 0.1 \text{ m and } \delta E/E \text{ (natural energy spread)} = \sim 0.1\%; \sigma_0 = \sim 360 \mu\text{m})$$

$$\text{P} \quad DE/E \text{ (rms)} < \sim 1.6 \times 10^{-4}$$

## Photon Energy Resolution



Photon energy resolution  $<10^{-4}$  after monochromator:

Bragg: 
$$\frac{\Delta E_{\text{ph}}}{E_{\text{ph}}} = \frac{\Delta\theta}{\theta_B} \quad \text{where } \theta_B = \sim 5^\circ\text{-}45^\circ \text{ } (\sim 90\text{-}800 \text{ mrad})$$

$\text{P } \Delta y_{\text{cm}} < \sim 10 \text{ mrad}$

Note: some monochromators reaching  $10^{-5}$  resolution  $\text{P } \Delta y_{\text{cm}} < \sim 1 \text{ mrad}$

Undulator line energy and width not degraded:

$$\text{line wavelength} = \lambda_n = n \lambda_u (1 + k^2/2) / 2\gamma^2$$

$$\text{P } d\lambda_n / \lambda_n = -2 DE/E$$

$$\text{natural width} = \delta \lambda_n / \lambda_n = 1/Nn \quad (N = \# \text{ periods, } n = \text{ harmonic})$$

- for  $<10\%$  line width increase ( $N = 100, n = 10$ )  $\text{P } DE/E \text{ (rms)} < \sim 2 \times 10^{-4}$
- for  $<10^{-4}$  coherent energy shift ( $N = 100, n = 10$ )  $\text{P } DE/E \text{ (coherent)} < \sim 5 \times 10^{-5}$

Note: for  $10^{-5}$  resolution  $\text{P } DE/E \text{ (coherent)} < \sim 5 \times 10^{-6}$

$$(\Rightarrow \Delta\phi < 0.01^\circ \text{ for SPEAR 3} \quad \Delta f_{\text{RF}} < 2.5 \text{ Hz for } f_{\text{RF}} = 500 \text{ MHz})$$

## Timing Stability



**Bunch time-of-arrival stability ( $\Delta t_{\text{bunch}}$ ):**

$Dt_{\text{bunch}} < \sim 0.1$  of critical time scale in experiment (pump-probe sync, etc.)

- or -

$< \sim 0.1 S_{\text{bunch}}$  ( $\sigma_{\text{bunch}} = \sim 5-50$  ps)

whichever is larger

**Bunch length variations usually not a problem unless Touschek lifetime affected**

**Time-of-arrival variations caused by energy oscillations:**

$$\Delta t_{\text{bunch}} = \frac{\Delta\phi \text{ (rad)}}{2\pi f_{\text{rf}}} \Rightarrow Dt_{\text{bunch}} = \sim 1.3 \text{ ps} \text{ for } dE/E \text{ (coherent)} = 10^{-4} \text{ in SPEAR 3}$$

( =  $\sim 0.08 S_{\text{bunch}}$  )

## *Lifetime*



### **Lifetime contributors:**

- quantum lifetime
- gas scattering lifetime (Coulomb, bremsstrahlung)
- Touschek lifetime
- ions and dust particles

### **Touschek usually dominant lifetime factor for low E rings (< 3 GeV):**

$$\tau_{\text{Touschek}} \propto \frac{\sigma_x \sigma_y \sigma_s \gamma^2 \left( \frac{\delta p}{p} \right)_m}{N}$$

$\delta p/p$  = ring momentum acceptance

N = number of particles in bunch

**P control and stabilize bunch volume**

**Ion trapping prevented by having gap in bunch fill pattern**

## *Sources of Electron Beam Instability*



### Long term (weeks-years)

- ground settlement (mm)
- seasonal ground motion (< mm)

### Medium term (minutes-days)

- diurnal temperature (1-100  $\mu\text{m}$ )
- river, dam activity (1-100  $\mu\text{m}$ )
- crane motion (1-100  $\mu\text{m}$ )
- machine fills (component heating, BPM intensity dependence)
- filling patterns (heating, BPM processing) (1-100  $\mu\text{m}$ )
- RF drift (microns)
- gravitational earth tides (sun and moon) ( $\Delta C = 10\text{-}30 \mu\text{m}$ )
- coupling changes

### Short term (milliseconds-seconds)

- ground vibration, traffic, trains, etc. (< microns, <50 Hz typ)  
ground motion amplified by girder + magnet resonances ( $\times\sim 20$  if not damped) and by lattice ( $\times 10\text{-}\times 40$ )  
 **$\Rightarrow$  nm level ground motion can be amplified close to mm level**
- cooling water vibration (microns)
- rotating machinery (air conditioners, pumps) (microns)
- booster operation (microns)
- insertion device motion (1-100  $\mu\text{m}$ )
- power supplies (microns)
- vac chamber vibration from BL shutters, etc. (microns)

### High frequency (sub-millisecond)

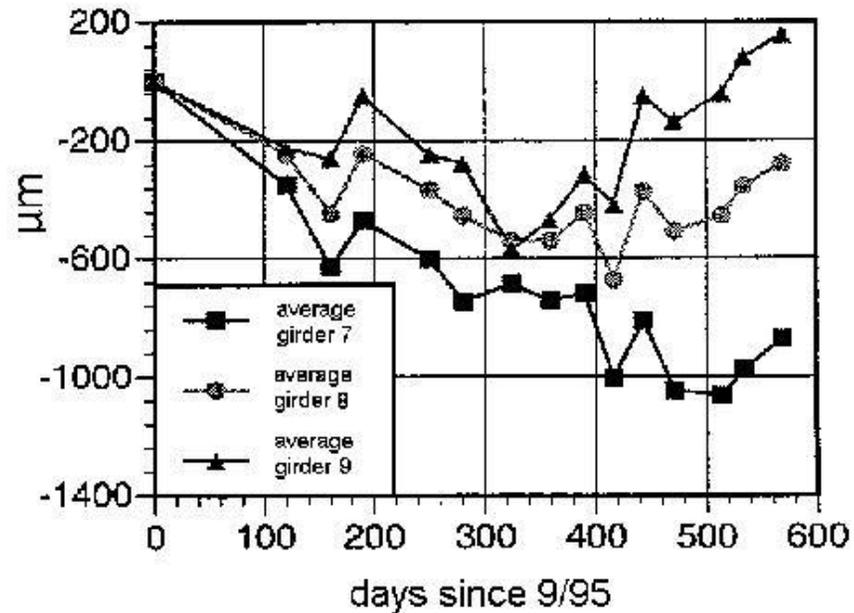
- high frequency PWM and pulsed power sources (microns)
- synchrotron oscillations (1-100  $\mu\text{m}$ )
- single- and multibunch instabilities (1-100  $\mu\text{m}$ )

**Note: relative component motion more critical than common mode motion**

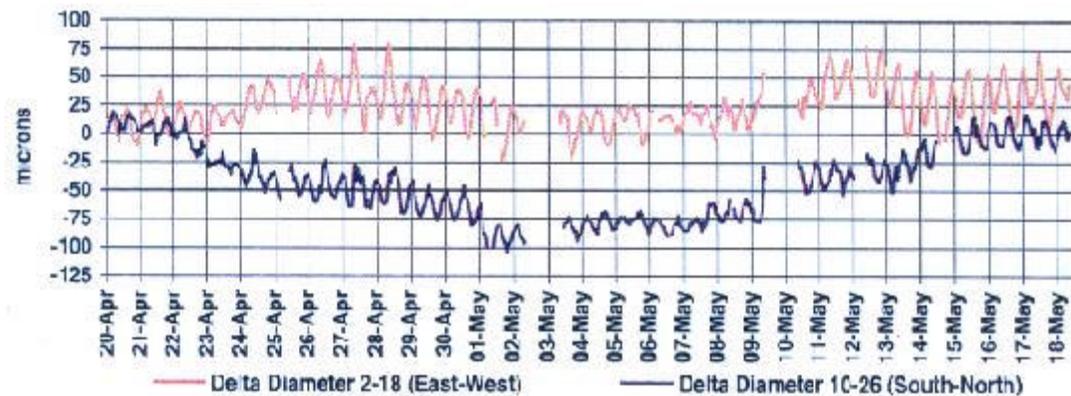
## Ground Motion - slow



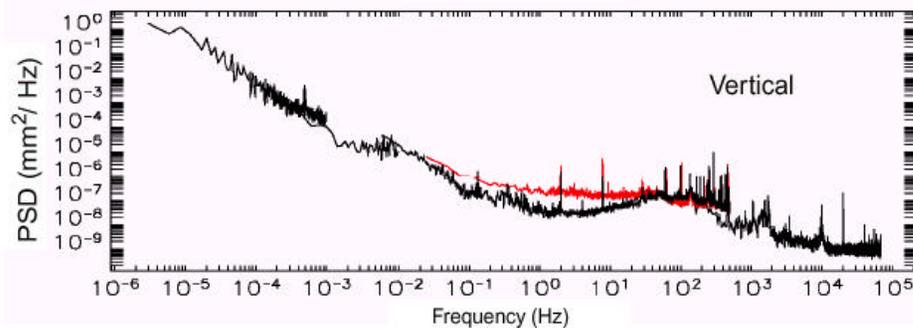
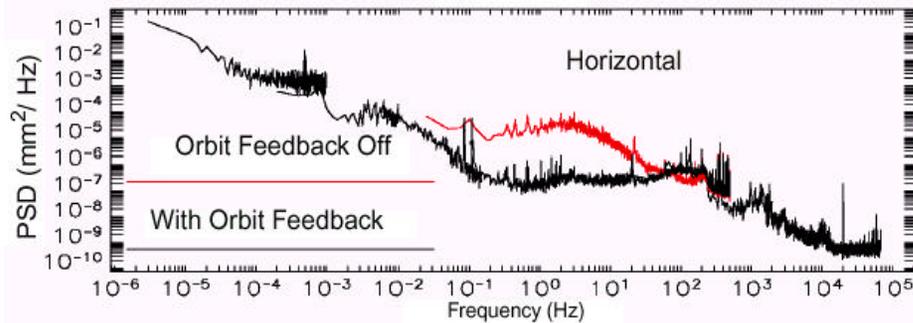
Ground settling (ALS)



Gravitational earth tides due to sun and moon (ESRF)

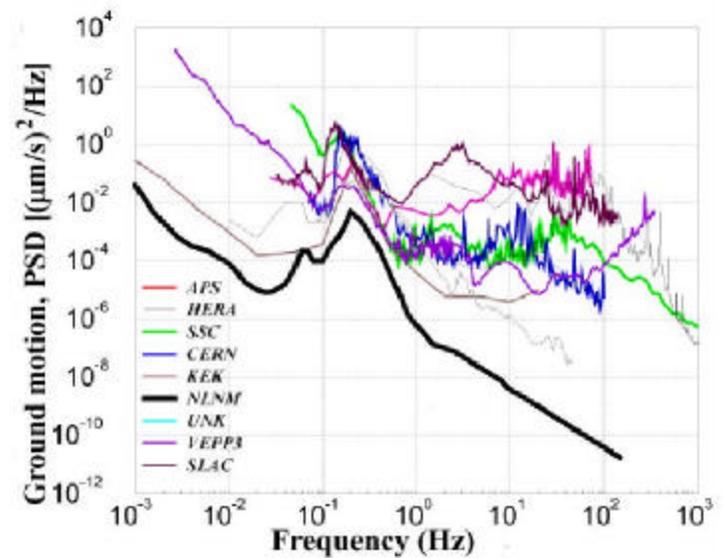


# Ground Vibration



APS

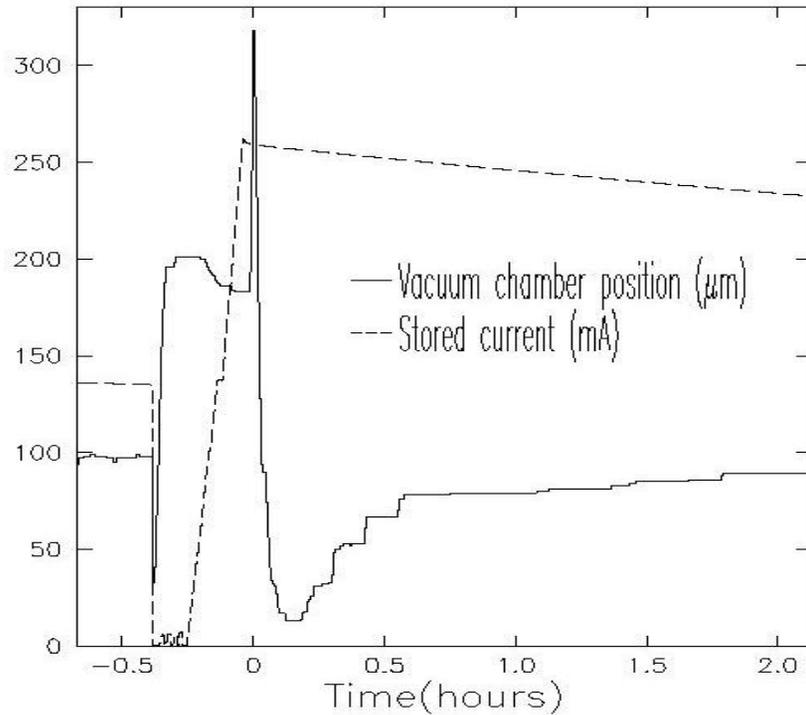
G. Decker



worldwide

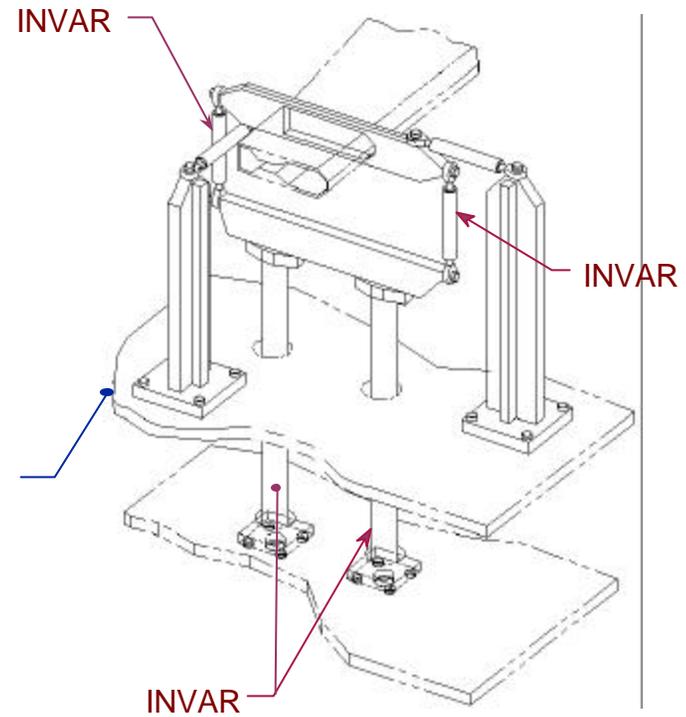
V.D. Shiltsev

## Vacuum chamber, BPM stability



### NSLS chamber motion

J. Safranek



### SPEAR 3 chamber/BPM supports

$3 \mu\text{m}/^\circ\text{C}$  vert,  $15 \mu\text{m}/^\circ\text{C}$  hor

# *Beam Stabilizing Technology*



## Accelerator component motion

- short girders, rigid supports (high frequency modes)
- damping materials (visco-elastic double-sided sticky tape, Anocast)
- minimal chamber temp gradients, chamber water cooling, discrete photon stops
- temp-stable BPM supports (Invar, carbon fiber -  $<3 \mu\text{m}/^\circ\text{C}$  @ 1 m)
- tunnel air and cooling water temperature stabilization ( $<0.2^\circ\text{C}$ )
- reduced vibration from water pipes, machinery, pumps, booster, etc.
- component position sensors (HLS, micron-res encoders, etc.)
- calibration of temperature-induced motion
- at-energy and top-off injection

## Corrector magnets

- high frequency, low inductance (kHz)
  - strong DC correctors (iron core) + low inductance tweeters (e.g. air core)
- high transverse linearity vs. frequency
- high resistance vac chamber sites (low eddy currents)
- uniform magnetic environment at all sites (field clamps)

## *Beam Stabilizing Technology - cont.*



### Power supplies

- low-ripple PWM chopper technology (20 kHz for mains, 40-60 kHz for correctors)
- high stability (transducers, even for correctors)
- high frequency, low quantization noise corrector supplies ( $\geq 18$ -bit DACs)
- digital control and regulation

### Orbit monitoring systems

- $>$  kHz orbit acquisition
- 1st turn, turn-turn and narrowband (high resolution) orbit processing modes
- non-multiplexed button processing (calibration tones, hybrid combiners)
- compensation for BPM motion, intensity dependence, etc.
- beam-based offset correction (quadrupole modulation)
- digital processing (including digital receivers)

## *Beam Stabilizing Technology - cont.*



### Feedback and other active systems

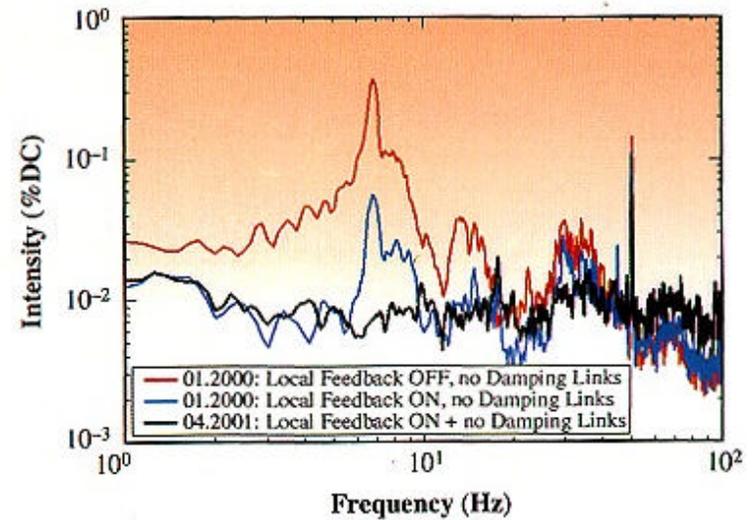
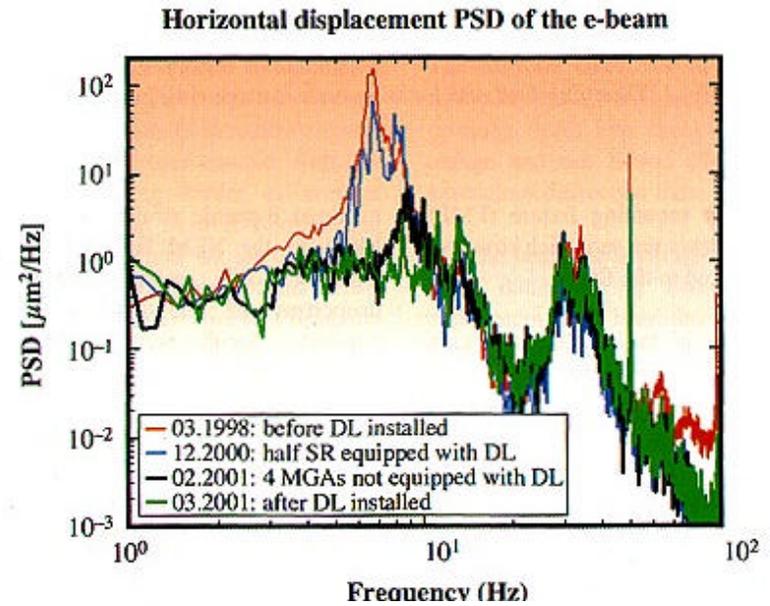
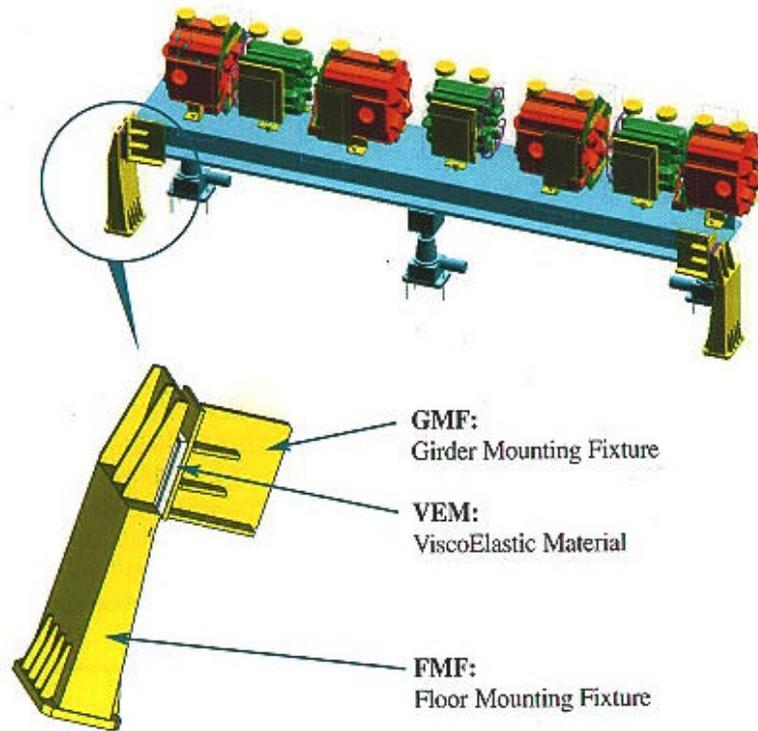
- unified global/local orbit feedback with electron and photon BPMs (up to ~200 Hz BW)
- automatic magnet girder alignment (ESRF, SLS, etc.)
- mode-0 longitudinal feedback through RF system
- multibunch feedback systems (longitudinal and transverse)
- beam line component feedback (mirror, monochromator, etc.)
- harmonic cavities for bunch length control and Landau damping (NSLS, ALS, etc.)
- tune feedback (Aladdin)

### More sophisticated orbit feedback algorithms include:

- compensation for ID gap changes
- compensation for accelerator component motion (measured or calibrated)
- real-time digital processing and high speed data links
- RF feedback

# ESRF Girder Damping

L. Zhang



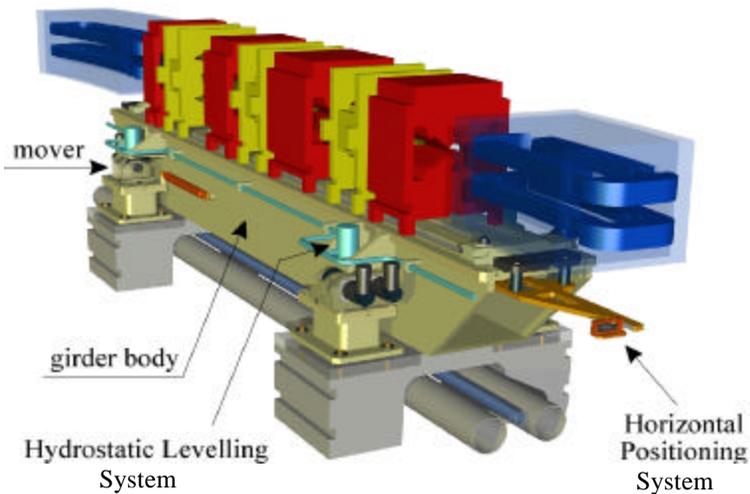
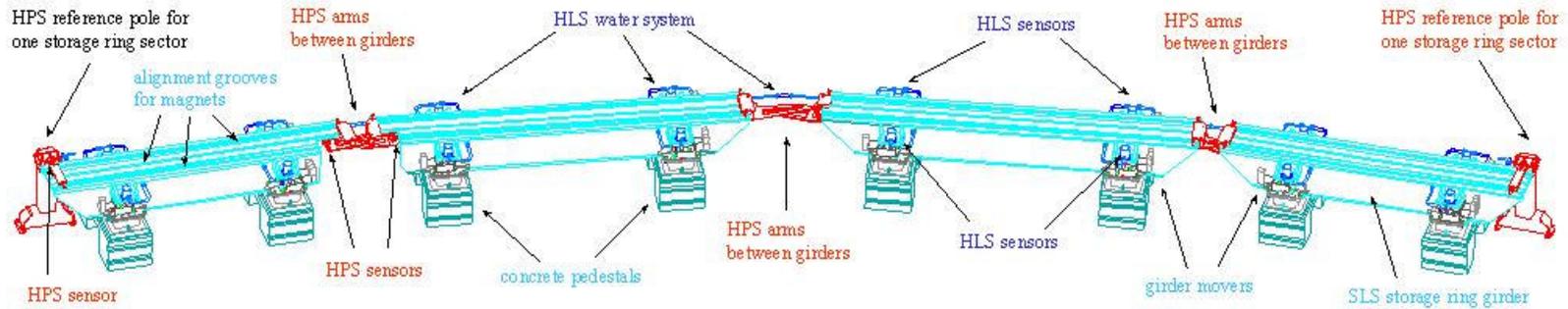
beam line intensity noise

# SLS Girder Mover System

V. Schlott and S. Zelenika et al.



## HLS, HPS Systems Overview over one Sector of SLS Storage Ring

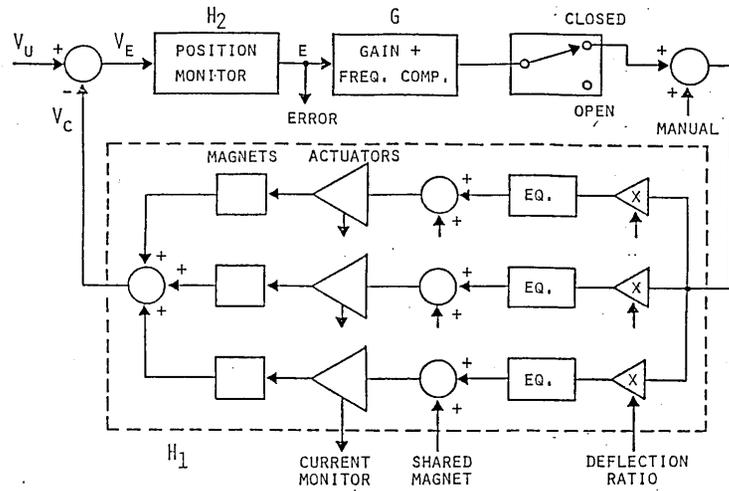


cam mover and hydrostatic level detector (micron res.)

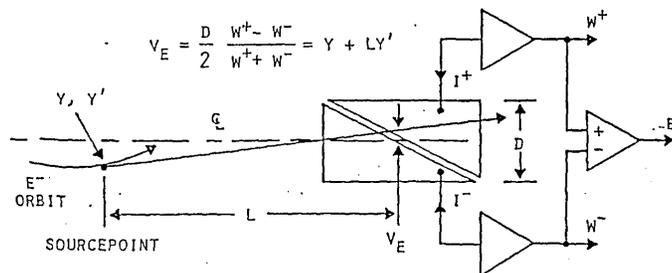
# Local 3- and 4-Magnet Feedback Systems

SSRL, 1982-86

$$\frac{V_e}{V_u} = \frac{1}{1 + GH_1 H_2 (i\omega)}$$

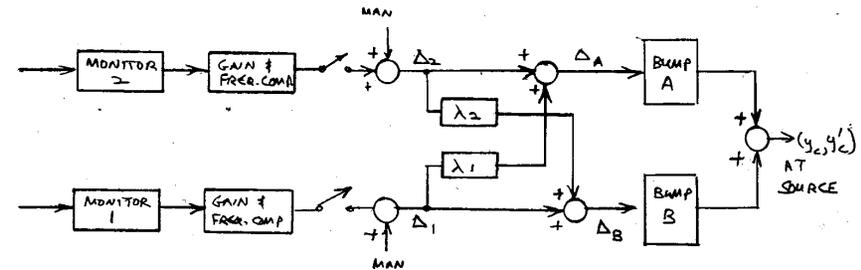


3-MAGNET STEERING SERVO SYSTEM



HELIUM ION CHAMBER POSITION MONITOR

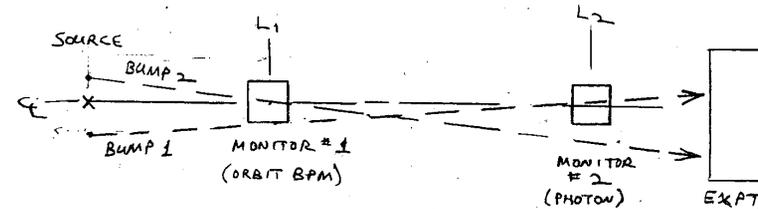
2-MONITOR, 4-MAGNET STEERING SERVO SYSTEM



BUMP A & BUMP B ARE LINEARLY INDEPENDENT, COMPENSATED

$\Delta_1$  DRIVES BUMP 1. THAT CAUSES NO DISPLACEMENT AT MONITOR 2.

$\Delta_2$  DRIVES BUMP 2 THAT CAUSES NO DISPLACEMENT AT MONITOR 1.



# Global Orbit Feedback Systems



## NLSL Harmonic Feedback System 1988

L.H. Yu, R. Biscardi, J. Bittner, E. Bozoki, J. Galayda,  
S. Krinsky, R. Nawrocky, O. Singh, G. Vignola

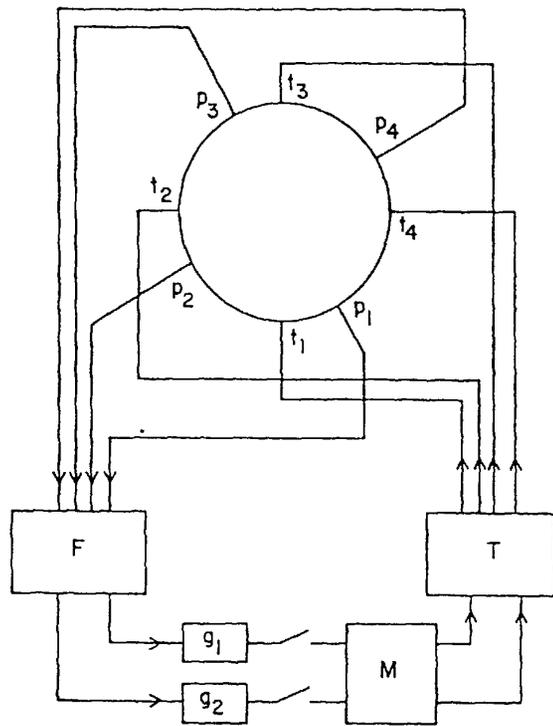
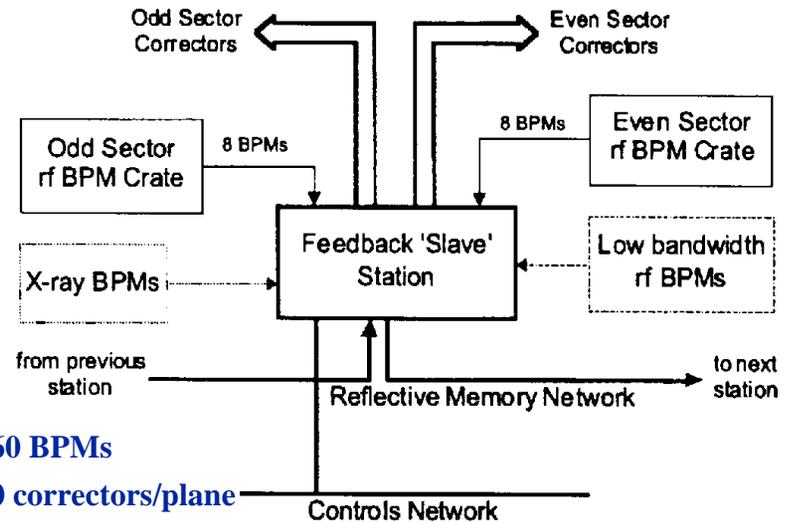


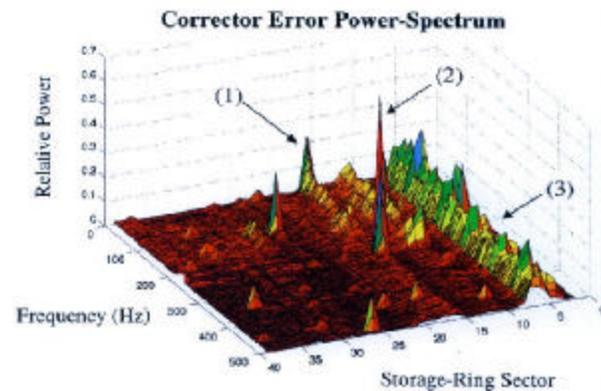
Fig. 1

## APS SVD Global Feedback System - 1990s

J. Carwardine, Y. Chung, F. Lenkszus, et al.



- 360 BPMs
- 80 correctors/plane
- BPM de-spiking



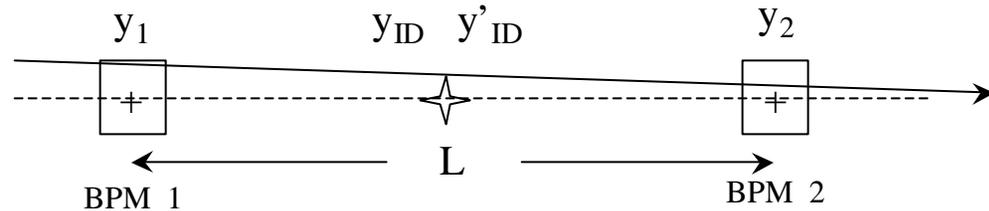
### “DSP Scope”

- 1) Poor regulation of sextupole supply
- 2) Steering supply oscillating at 248 Hz
- 3) Bad BPM with broadband noise

## Local vs. Global Feedback



### Local correction:



$$y_{ID} = (y_1 + y_2)/2 \quad \langle y_{ID}^2 \rangle = \Delta y^2/2 \quad y'_{ID} = (y_1 - y_2)/2L \quad \langle y'^2_{ID} \rangle = \Delta y^2/2L^2$$

$\Delta y$  = measurement error

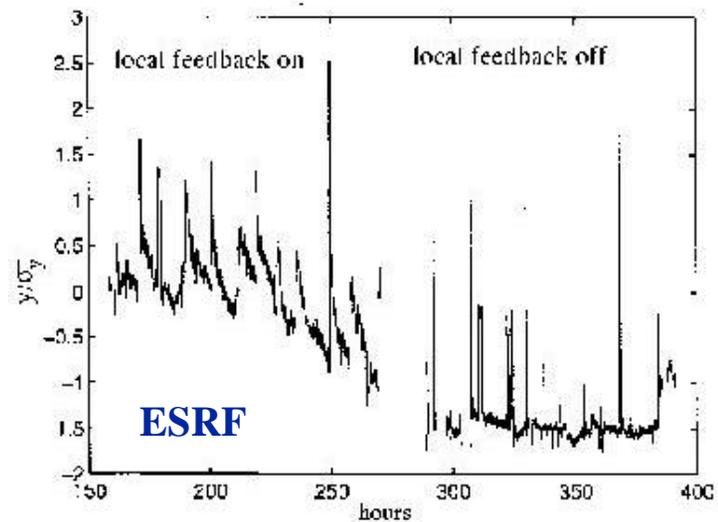
e.g.,  $\Delta y = 10 \mu\text{m}$ ,  $L = 3 \text{ m}$   $\Rightarrow$  **7 mm rms** position error, **2.4 mrad rms** angle error

$\Rightarrow$  want  $L$  to be large

Multi-loop crosstalk  $\Rightarrow$  reduced performance

### Global correction:

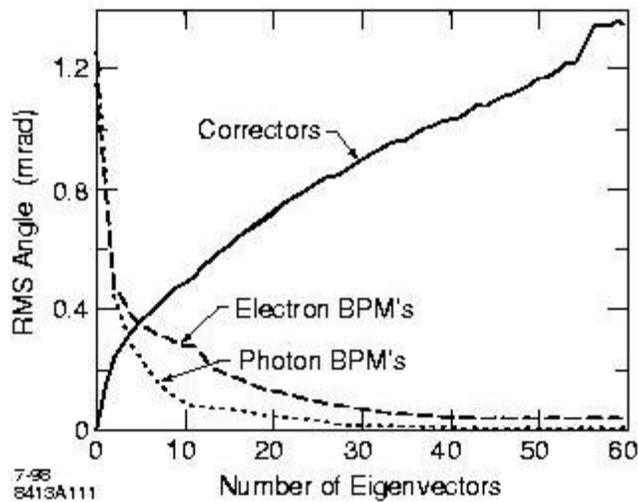
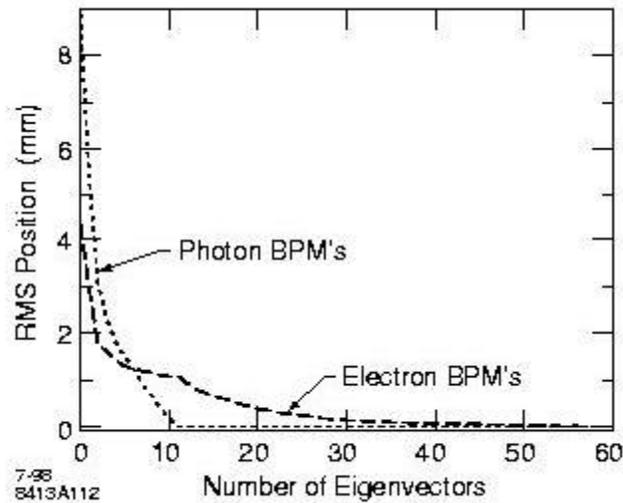
- reduced set of correction eigenvectors filters response to BPM noise
- lower spatial BW, more BPMs in average
- correction matched to most likely disturbances



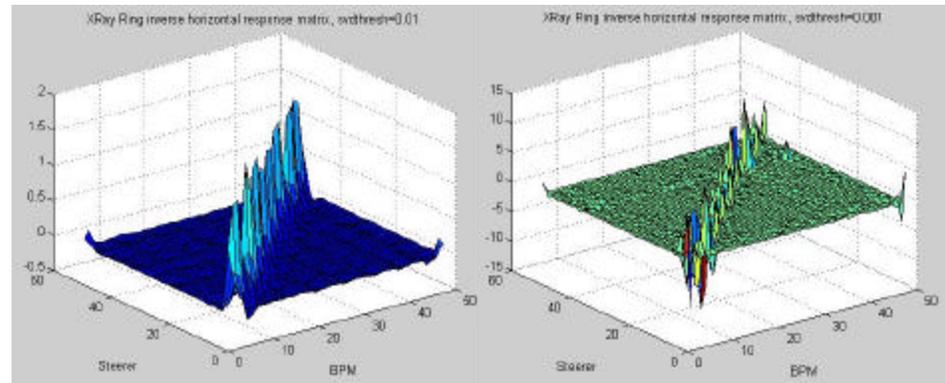
# SVD Orbit Correction



**SPEAR** (J. Corbett)

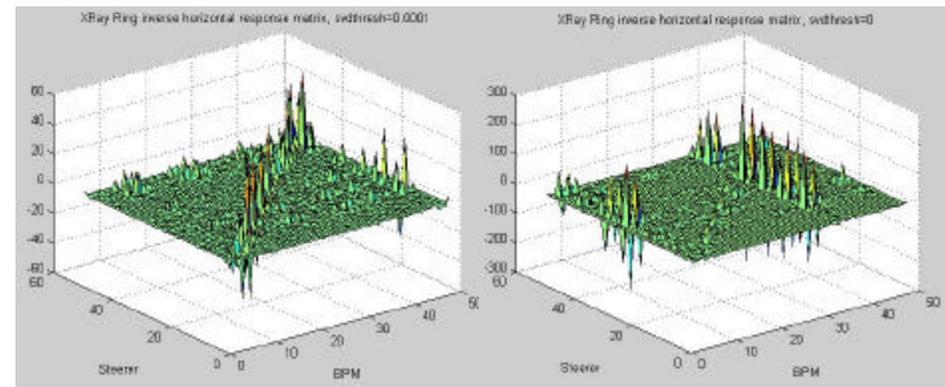


**NLS X-Ray ring inverse response matrix with different SVD thresholds** (J. Safranek)



SVD threshold = 0.01

SVD threshold = 0.001

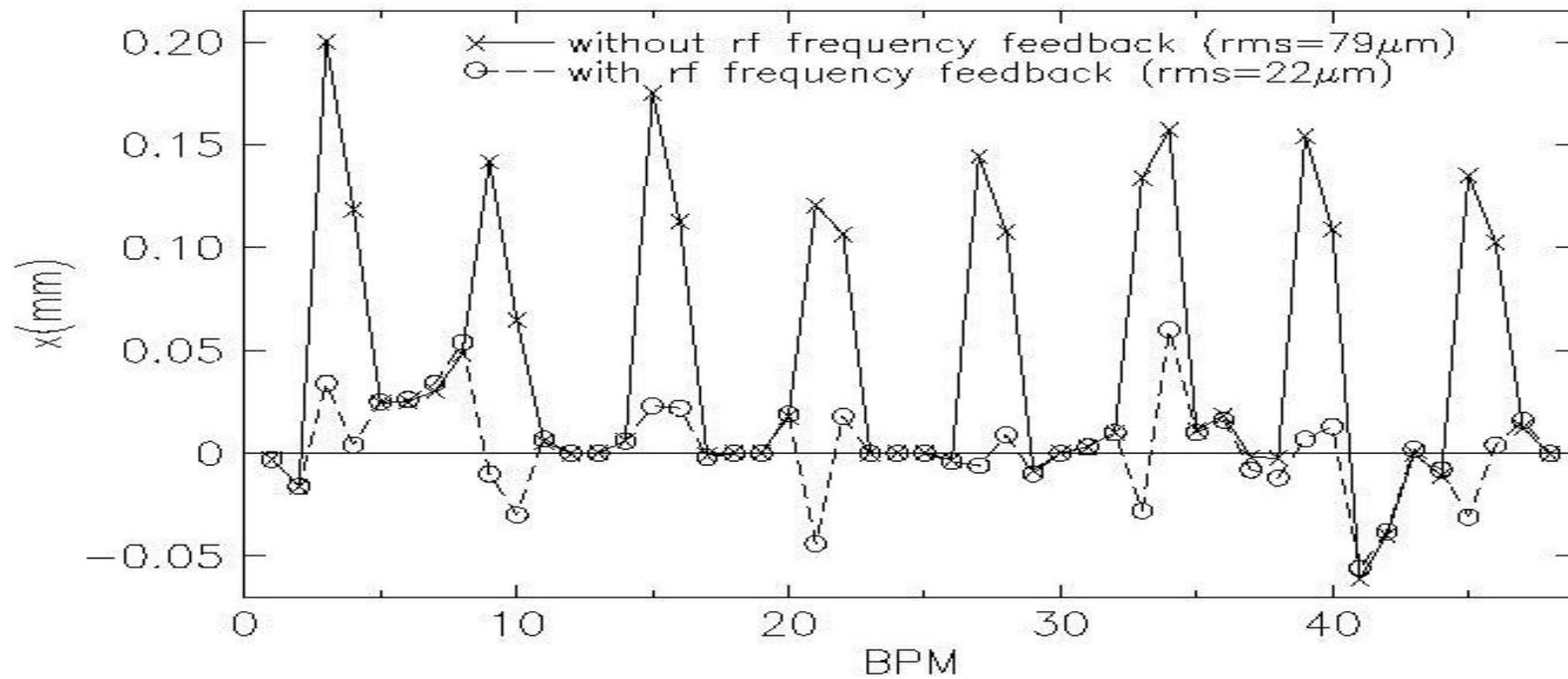


SVD threshold = 0.0001

SVD threshold = 0

# *RF Feedback*

NLSLS



## *Orbit Feedback - Performance Limitations*



### **Electron BPMs (electron)**

- BPM mechanical motion (thermal)
- $TE_{10}$  mode in antechamber
- orbit acquisition rate (rate  $\sim 10\times$  fdbk BW  $\Rightarrow$  1 kHz for 100 Hz BW; rate  $\sim 2$  kHz to avoid 720 Hz alias)
- BPM muxing (switch rate  $>$   $\sim 10\times$  orbit acq BW to avoid H-V coupling; limited by switch settling time)
- intensity or fill pattern dependence
- local position/angle calculation errors

### **Photon BPMs**

- corruption of undulator photon monitor signal by dipole radiation
- dependence on ID gap (emission pattern) and beam intensity
- blade surface contamination

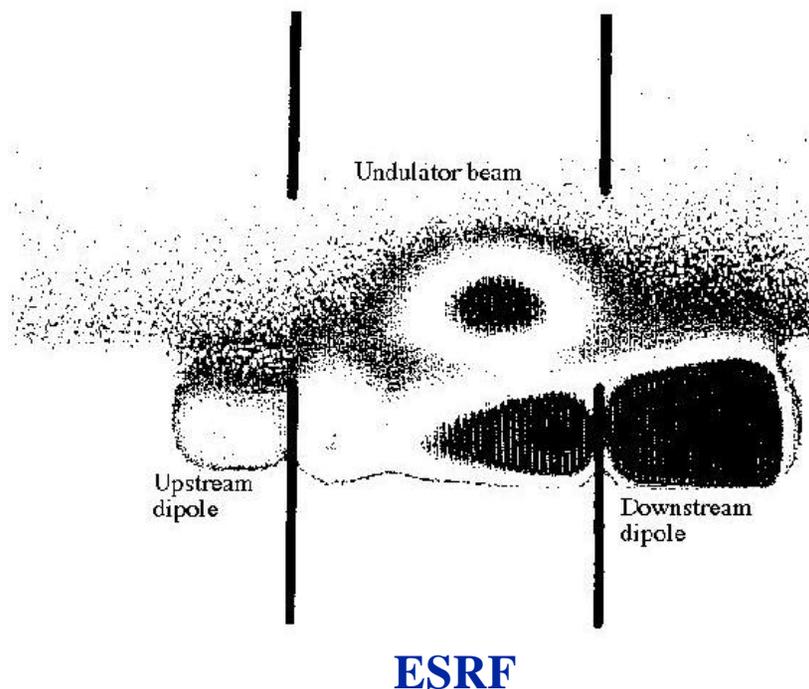
### **Orbit corrector system**

- transverse field uniformity: orbit-dependent response matrix
- field uniformity vs. frequency: freq-dependent response matrix
- vacuum chamber BW
- hysteresis
- quantization noise and step resolution

### **Response matrix**

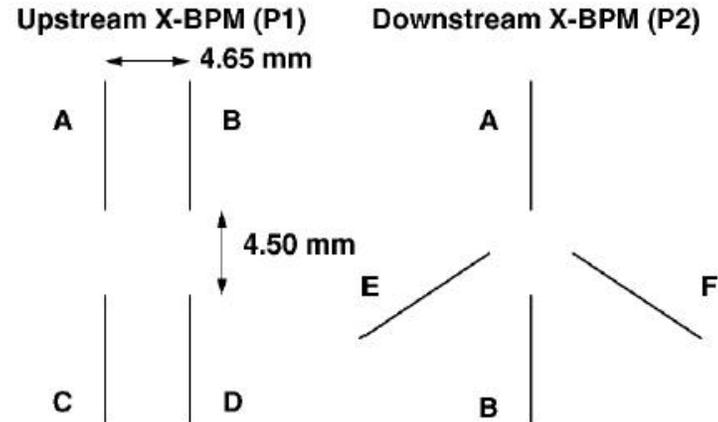
- inadequate BPM and/or corrector quantities ( $>4$  per  $\beta$  period desirable)
- inefficient BPM and/or corrector placement (low orthogonality)
- non-optimized eigenvector cut-off for  $R^{-1}$  (trade-off between azimuthal correction resolution and corrector strengths, sensitivity to BPM noise)

## Undulator Photon Monitor Limitations



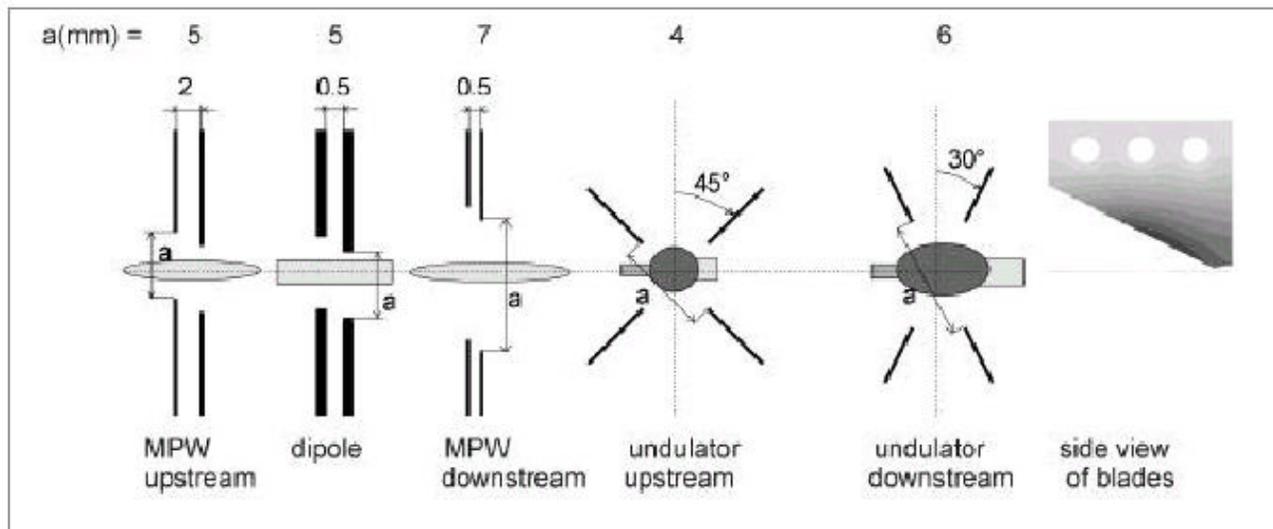
- ID photon emission pattern (flux and energy) changes with ID gap
- Causes apparent beam motion of **~1-100 mm**, which can propagate around ring if photon monitors used in feedback.
- Can compensate for gap changes with calibrated feedforward orbit and tune corrections + feedback to correct residual perturbations.
- Blade monitors work better for low-E rings (photon spectrum better matched to blade photoemission properties) - **K. Holldack et al., BESSY II**

# Photon Monitors - Blade Geometries



APS

O. Singh



BESSY II

K. Holldack

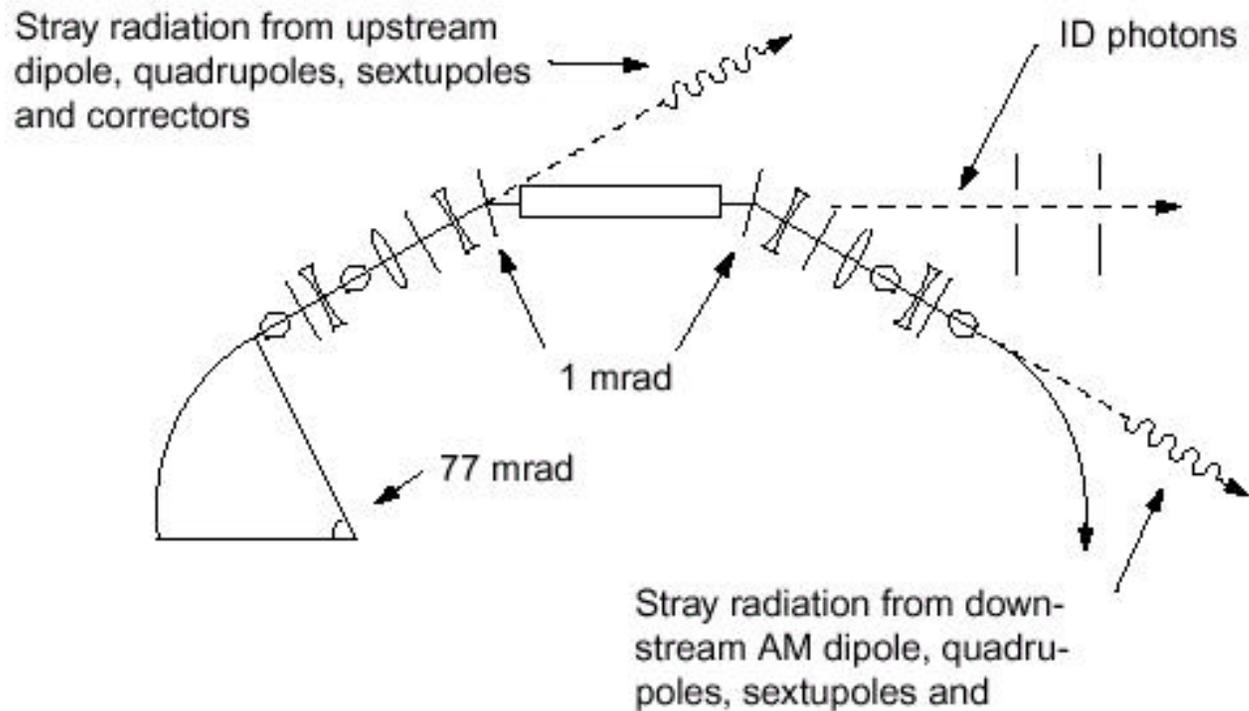
**Fig. 2** Blade geometries for staggered pair monitors (SPMs) for dipoles and multipole wigglers as well as XBPMs in undulator frontends. (light shading:dipole and wiggler fans; dark shading:undulator radiation).



# *APS Undulator Soft-Bend Chicane*

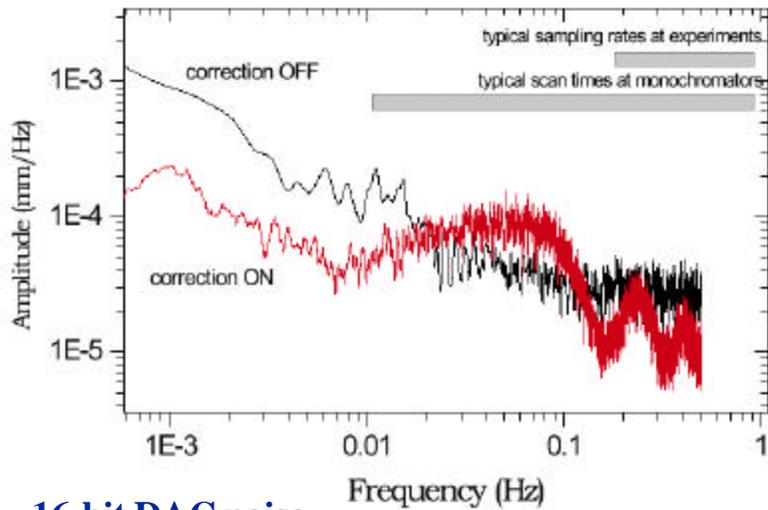
G. Decker

Concept for Reduction of ID X-bpm Stray Radiation Background Signals

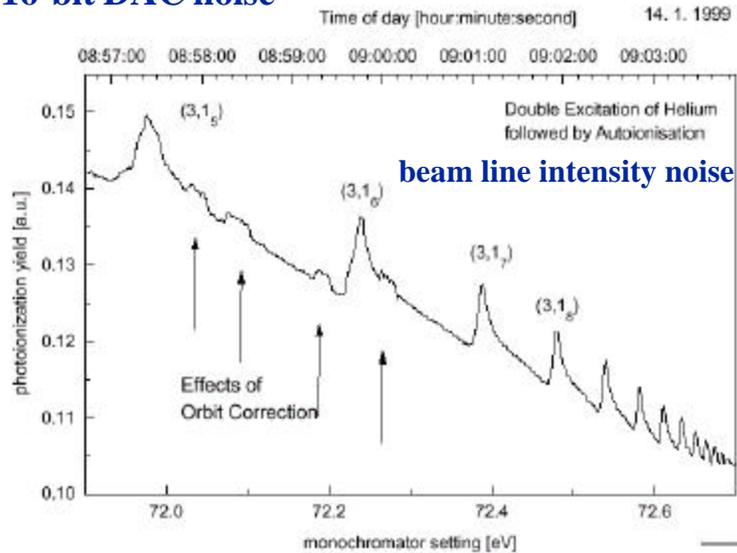


# Orbit Feedback - Corrector Resolution

R. Mueller et al., BESSY II

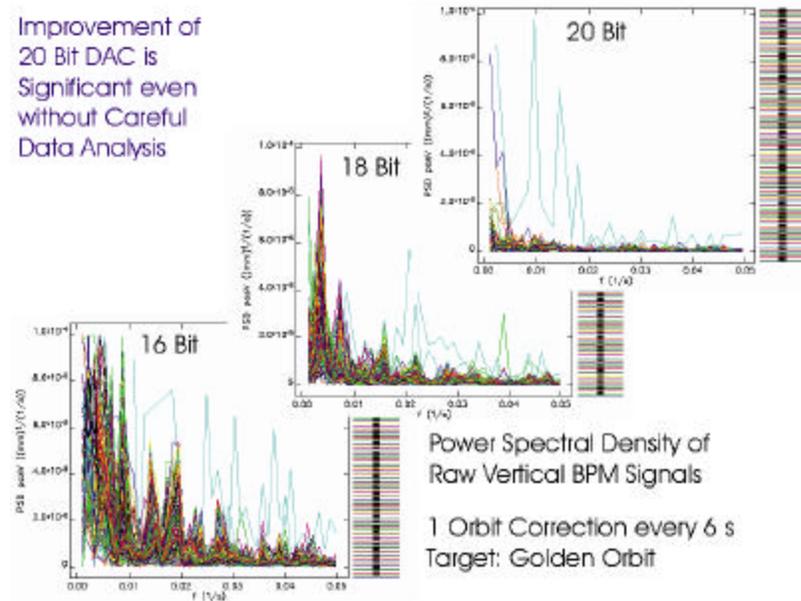


16-bit DAC noise



Noise from 16-bit DACs solved with 24-bit DACs (~20-bit ENOB)  
(feedback cycle rate = 0.2 Hz)

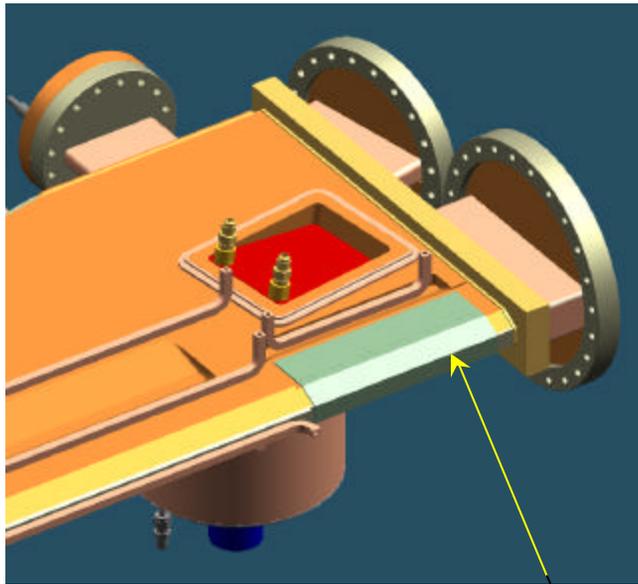
Improvement of 20 Bit DAC is Significant even without Careful Data Analysis



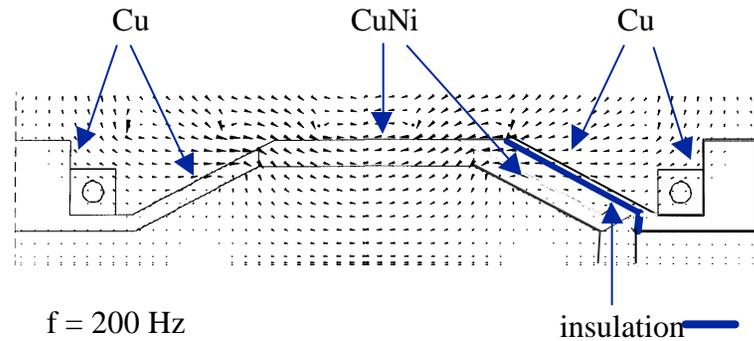
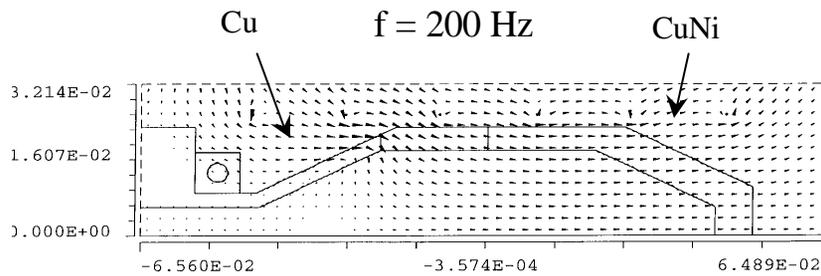
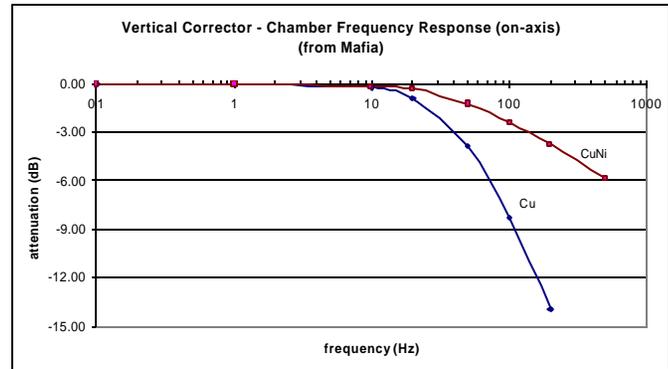
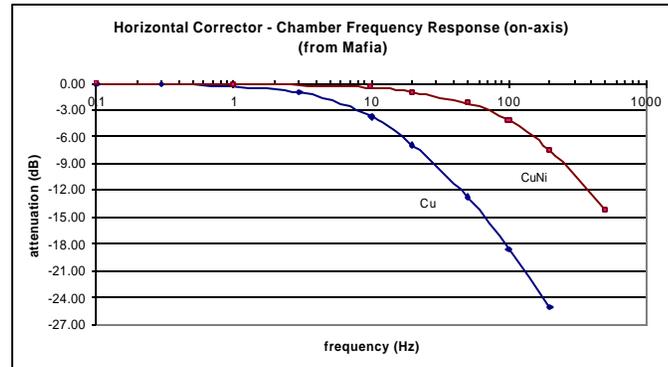
Power Spectral Density of Raw Vertical BPM Signals

1 Orbit Correction every 6 s  
Target: Golden Orbit

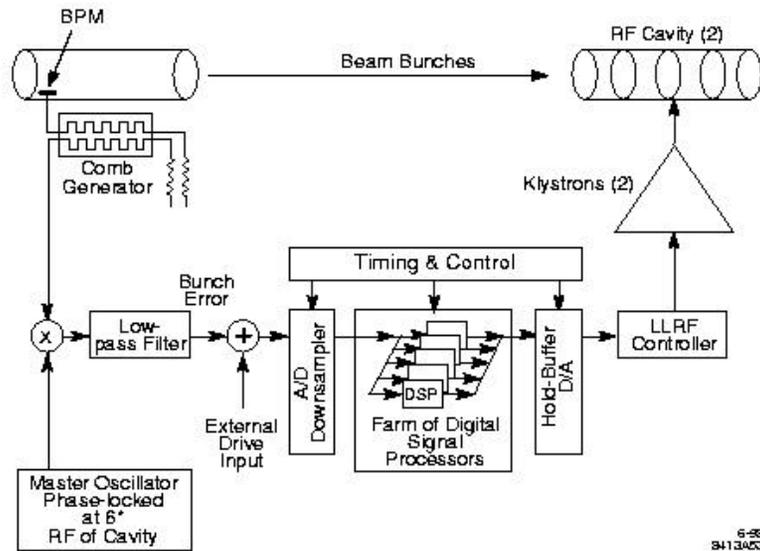
# SPEAR 3 Cu Chamber Eddy Current Break



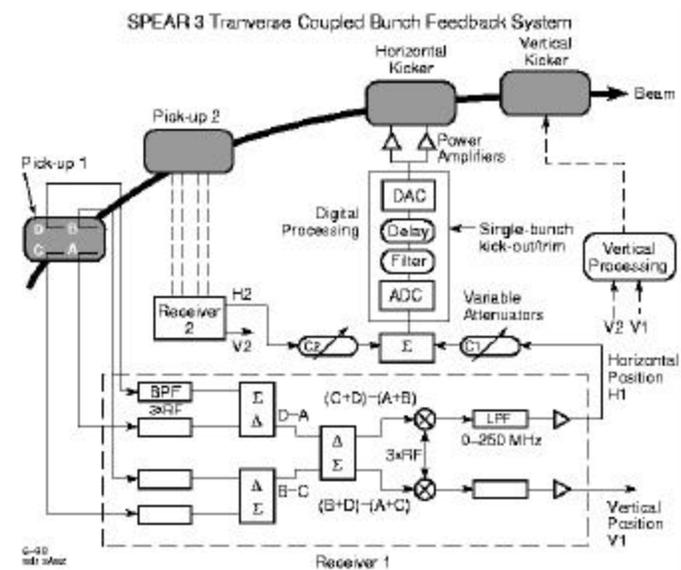
CuNi



## Multibunch Feedback



**Longitudinal** J. Fox et al., SLAC



**Transverse** W. Barry et al., ALS

## Harmonic Cavities

- increase bunch length and Touschek lifetime
- induce tune spread to damp multibunch instabilities  
(Landau damping)

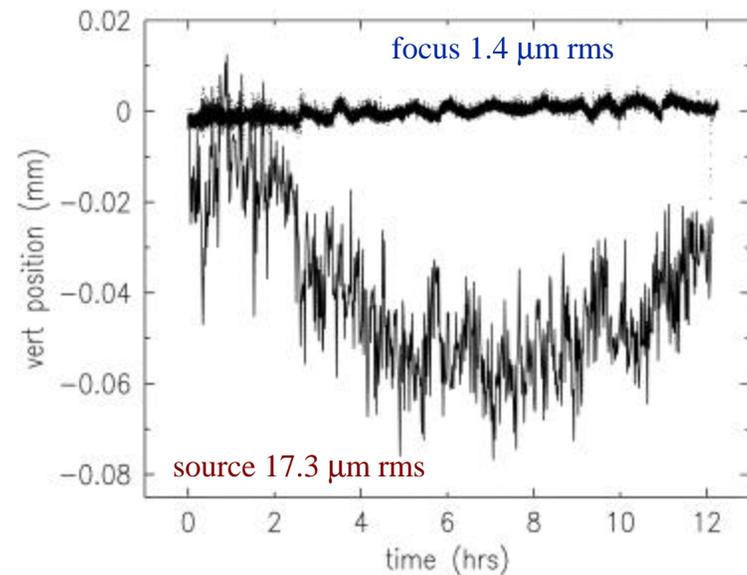
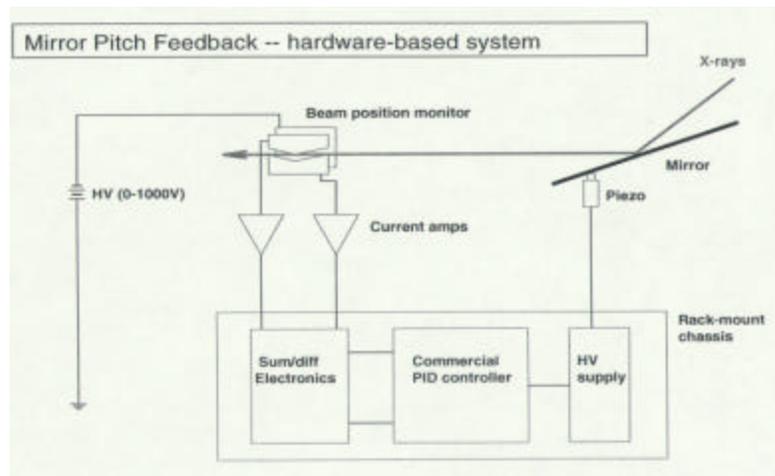
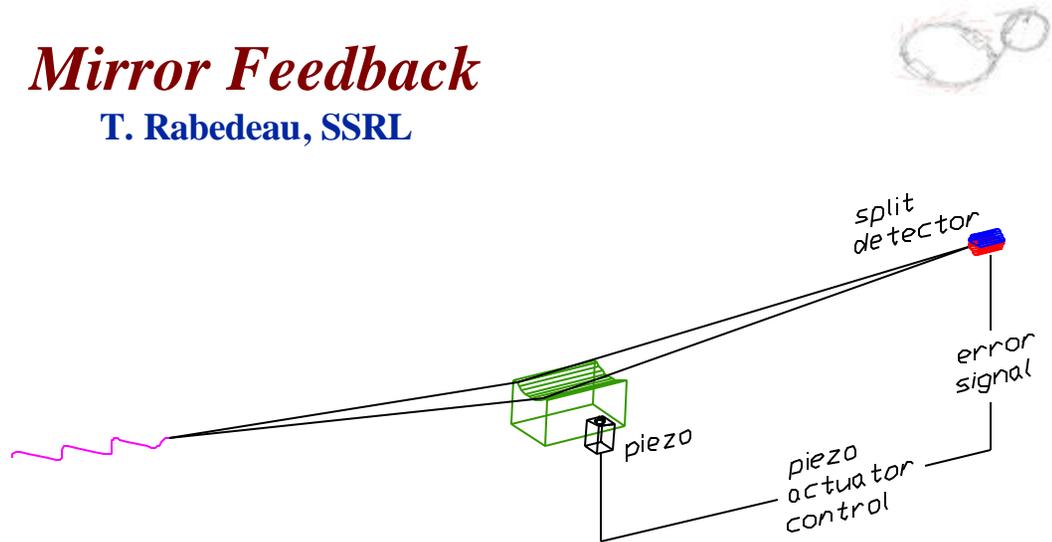


**ALS 1.5 GHz cavity**  
J. Byrd, R. Rimmer et al.

# Mirror Feedback

T. Rabedeau, SSRL

- error signal obtained from position sensitive detector near beam focus
- error signal used to control piezo high voltage
- piezo provides mirror fine pitch control with typical full range of motion  $\pm 30$  mrad or  $\pm 0.6$ mm or more focus motion.



## Future Light Sources



**Energy Recovery Linac** (MARS, G. Kulipanov (Budker Inst.); ERL, S. Gruner et al. (Cornell, JLab), PERL, J. Murphy et al. (NSLS); Ultrafast Light Source, A. Zholents et al. (LBNL))

$$\epsilon_x = \sim 0.15 \text{ nm-rad @ 5-7 GeV} \quad \sigma_{x,y} = 3-40 \text{ } \mu\text{m} \quad \sigma_{x',y'} = 3-10 \text{ } \mu\text{rad} \quad \sigma_s = 100 \text{ fs} - 10 \text{ ps}$$

**$\mathcal{P} \sim 0.1 \text{ mm, } 0.1 \text{ mrad, } <100 \text{ fs stability}$**

**Challenges:** • energy stability • bunch charge stability • pump-probe timing sync • other

## LCLS (& SPPS)

$$\epsilon = \sim 0.05 \text{ nm-rad @ 15 GeV} \quad \sigma_{x,y} = \sim 30 \text{ } \mu\text{m} \quad \sigma_{x',y'} = \sim 0.4 \text{ } \mu\text{rad} \quad \sigma_s = 85 \text{ fs}$$

**$\mathcal{P}$  micron, 10s nrad, <100 fs stability**

**Challenges:** • < 0.9 ps gun timing jitter • < 0.07 S-band klystron phase stability  
• < 0.05% klystron voltage stability • pump-probe timing sync • other

## Diffraction-limited storage rings (J.-L. Laclare)

$$\epsilon_x = \sim 0.1 \text{ nm-rad} \quad \epsilon_y = \sim 8 \text{ pm-rad (1\AA diffraction limit)}$$

$$\sigma_x = \sim 100 \text{ } \mu\text{m} \quad \sigma_y = \sim 10 \text{ } \mu\text{m} \quad \sigma_{y'} = < 10 \text{ } \mu\text{rad} \quad \sigma_s = \sim 10 \text{ ps}$$

**$\mathcal{P} \sim 0.1 \text{ mm, } 0.1 \text{ mrad stability}$**

## *Beam Stability Requirements - Summary*

(subject to change after SRI 2001 Stability Workshop)



<b>Parameter</b>	<b>Present</b>	<b>Future trend</b>
intensity stability	<0.1%	<0.01%
steering accuracy	<5-10% $\sigma_{e-}$ , $\sigma'_{ph}$	<2% $\sigma_{e-}$ , $\sigma'_{ph}$
beam size stability	<0.1% $\sigma_{ph}$	<0.01% $\sigma_{ph}$
energy resolution	$10^{-4}$	$10^{-5}$
timing stability	<10% bunch length	<10% bunch length
min data avg time	order 1 ms	order 0.1 ms (ring) single shot (FEL)
emittance	~5-20 nm-rad	~0.05-0.2 nm-rad
e- beam size (vert)	~30-300 $\mu\text{m}$	~3-30 $\mu\text{m}$
ph beam divergence	~10-200 $\mu\text{rad}$	~0.5-10 $\mu\text{rad}$
e- bunch length	~10-100 ps	~100 fs (FEL)
e- position stability (vert)	~1-5 $\mu\text{m}$	~0.1-1 $\mu\text{m}$
e- angle stability	~1-10 $\mu\text{rad}$	~0.05- 0.5 $\mu\text{rad}$
e- bunch length stability	~1-10 ps	~10-100 fs (FEL)
e- energy stability	<~5 x $10^{-5}$ ( $\Delta\phi < 0.1^\circ$ )	<~5 x $10^{-6}$ ( $\Delta\phi < 0.01^\circ$ )

# Beam Stability Requirements

DRAFT rev. 8/27/01



	Parameter	Present sources (rings)	Future sources (ring, ERL, FEL)
<b>user stability need</b>	intensity (shot-shot with normalization)	<0.1%	<0.01%
	steering accuracy	<5% $\sigma_{e-}, \sigma'_{ph}$	<2% $\sigma_{e-}, \sigma'_{ph}$
	beam size stability	<0.1% $\sigma_{ph}$	<0.01% $\sigma_{ph}$
	energy resolution/accuracy	$10^{-5}$ - $10^{-4}$	$10^{-5}$
	timing stability	<10% bunch length	<10% bunch length
	polarization stability (switched)	$10^{-3}$ (?)	$10^{-4}$ (?)
	expt data acquisition rate	$\sim 10^{-2}$ - $10^5$ Hz	$\sim 10^{-2}$ - $10^6$ Hz
	stability period (w/o realignment)	secs-hours	secs-days
	beam availability	>90%	>90%
<b>beam param</b>	emittance	~5-20 nm-rad	~0.05-0.2 nm-rad
	ph beam size (vert)	~30-300 $\mu$ m	~3-30 $\mu$ m
	ph beam divergence	~10-200 $\mu$ rad	~0.5-10 $\mu$ rad
	H-V emittance coupling	<0.1-10%	<0.01-100%
	e- beam rotation	<?? mrad	<?? mrad
	e- bunch length	~10-100 ps	~10 ps (ring); ~100 fs (ERL,FEL)
<b>e- stability need</b>	position stability (vert)	~1-5 $\mu$ m	~0.1-1 $\mu$ m
	angle	~1-10 $\mu$ rad	~0.05- 0.5 $\mu$ rad
	coupling	<0.1%	<0.01%
	rotation	<?? mrad	<?? mrad
	bunch-bunch / turn-turn charge	$\sim 10^{-2}$ / $10^{-11}$	$\sim 10^{-2}/10^{-11}$ (ring); $\sim 10^{-2}/10^{-2}$ (FEL, ERL)
	bunch length	~1-10 ps	~1 ps (ring); ~10-100 fs (FEL)
	energy	$< \sim 2$ - $5 \times 10^{-5}$ ( $\Delta\phi < 0.04$ - $0.1^\circ$ )	$< \sim 5 \times 10^{-6}$ ( $\Delta\phi < 0.01^\circ$ )
	stability bandwidth	1/hrs - $10^5$ Hz	1/hrs - $10^6$ Hz

## Summary



### Stability requirements are stringent:

- intensity stability  $< 0.1\%$
  - photon energy resolution  $< 10^{-4}$
  - pointing accuracy  $< 5\%$  beam dimensions
  - timing stability  $< 10\%$  bunch length
- $\bar{P}$  orbit  $< 1-5$  mm,  $< 1-10$  mrad      beam size  $< 0.1\%$       e- energy  $< 5 \times 10^{-5}$

### Requirements are becoming more stringent:

- x 5-10 more stringent stability with beam source and beam line development
- $\bar{P}$  orbit  $< .1-1$  mm,  $< .05-.5$  mrad      beam size  $< 0.01\%$       e- energy  $< 5 \times 10^{-6}$
- faster data acquisition time-scales
  - fast-switched polarization, ID changes
  - short bunch machines present pump-probe timing sync challenge:  $< 100$  fs

### Stabilizing technology development:

- control noise sources
- temp-stable materials
- vibration-damping materials
- motion sensors, calib
- automatic alignment
- better BPMs (e- and photon)
- faster orbit feedback
- beam line signal processing, component feedback

### What matters: relative motion between accelerator and beam line

- integrate beam line and orbit feedback systems (?)

may relieve need for absolute accelerator stability

## *Acknowledgments*



<b>Aladdin</b>	J. Bisognano, M. Green, J. Stott
<b>ALS/LBL</b>	J. Byrd, D. Robin, C. Steier
<b>APS</b>	J. Carwardine, G. Decker, L. Emery, O. Singh
<b>BESSY II</b>	K. Holldack, R. Mueller
<b>Daresbury</b>	C. Nave
<b>ESRF</b>	L. Farvacque (“Beam Centre of Mass Stability”, 1996)
<b>NSLS</b>	R. Biscardi, S. Krinsky, L.H. Yu
<b>SLS</b>	M. Boge, S. Zelenika, V. Schlott, A. Wrulich
<b>SSRL</b>	J. Corbett, J. Galayda, T. Rabedeau, J. Safranek





1 mm